#### **Computational thinking, Group 4**

#### **Coursework 3, Graphing abstraction**

# University of Manchester

# Participants

- Joseph Hayes
- Zak Allen
- Fatimah Patel
- Mohammed Alnusif
- Alaa Dahlawi
- Shuhua Shao



### **Graphing Abstraction of Graph**

1



<sup>1</sup> The graphing abstraction is the map broken down into a graph abstraction. The lines representing the borders between countries.

#### **Definitions:**

ColourList is a list of unique, different, non-repeating colours: [red, blue, green, yellow, ...]

**UnavailableColourList** is a list of the colours that cannot be used to colour a country on the map

ColouredCountryList is a list of countries paired with their colour on the map

#### Making a graph abstraction:

Pseudocode:
START
Input <b>the map</b>
For each <b>country</b> in <b>map</b>
{
Create a node with the name of the <b>country</b>
}
For each <b>node</b> in <b>map</b>
{
If the <b>node's country</b> shares a border with another <b>node's country</b> in the <b>map</b>
Then
Create an <b>edge</b> between the two <b>nodes</b>
}
Output the Graph

#### END

#### **Colouring the graph:**

**START** Input **the Graph** 

Create empty UnavailableColourList

Create empty ColouredCountryList

Create ColourList

For each node in graph

{

Clear UnavailableColourList

If node share edge with other nodes

Then add the colours of other nodes in UnavailableColourList

# In the IF statement it always uses the first colour from **ColourList** that is not in **UnavailableColourList** 

For each colour in ColourList

{

# UnavailableColourList contains the colours that the current node cannot share an edge with so if **colour** is not in UnavailableColourList it can be used.

If colour is not in UnavailableColourList

Then

colour the node with this colour and add **[node name, colour]** to **ColouredCountryList** 

}

}

## Output ColouredCountryList

#### END

# The output would be something like [[Egypt, Red], [Morocco,Blue],...] for example.

#### <u>Task 2</u>

#### **Definitions:**

**UnavailableGuestList** is a list of names of the guests that cannot be on the same table because they dislike each other.

GuestList is the list of guest names that was introduced

TableList is the list of tables with all of their respective guests

Node's name : is the guest name

#### **Graph Abstraction:**

#### **Pseudocode for the graph abstraction:**

Input the list of guests

For each **guest** in **GuestList** 

{

Create a node with the name of the **guest** 

}

For each **guest** in **GuestList** 

{

If the **guest** dislikes another guest and there is no edge between them

Then

Create an edge between the two nodes

}

Output the graph

2

# graph:



#### **Pseudocode:**

 $<sup>^{2}</sup>$  This is the graph abstraction for the guest list. The edge is a 2 way system showing which people dislike. The nodes are the people on the quest list

# Putting guest in tables

Input <b>graph</b>
Create empty TableList
Create empty UnavailableGuestList
Add table to TableList
For each node in graph
{
Clear UnavailableGuestList
IF node ShareEdge with other nodes
Then add the name of <b>node</b> to <b>UnavailableGuestList</b>
For each Table in TableList
{
IF Table does not contain someone from node's UnavailableGuestList
Then add the name of the <b>node</b> to <b>Table</b>
And exit the Table loop
}
IF node's name is not in any table of TableList
Then
Add a new table in TableList
Add the <b>node's name</b> to the newly added Table
}
}
Output TableList

# For example TableList : [[Bill,Violet,..],[Neil,Killy,.],...]

#### <u>Task 3</u>

The graphing abstraction in both tasks are different as for the first task the edges represent the locational relationships (borders) whereas in task 2 the edges represent where guests don't want to sit next to. In task 1 the countries do not have a choice on where they sit compared to in task 2 where guests do have a choice on where they do not want to sit next to. Moreover, in task 2, because our edges were based on which guests were not liked by others, we were left with three guests that had no connection to other guests as they were liked by all guests so no edge was needed for them.

The graph abstractions for task 1 and task 2 are similar in that they represent relationships of incompatibility; People who cannot share adjacent locations, countries that cannot share like colours. They both define a set of rules for the sorting/colouring operation that you perform on them. Both problems are alike in that all possible solutions are not commutative with one another; i.e. the order in which you seat each person next to each other, the colours and order of country colouring. Hence both algorithms have to consider the range of all possibilities, if the smallest table/colour count is desired.